



# Measurements and modelling of turbulent transport on Tore Supra

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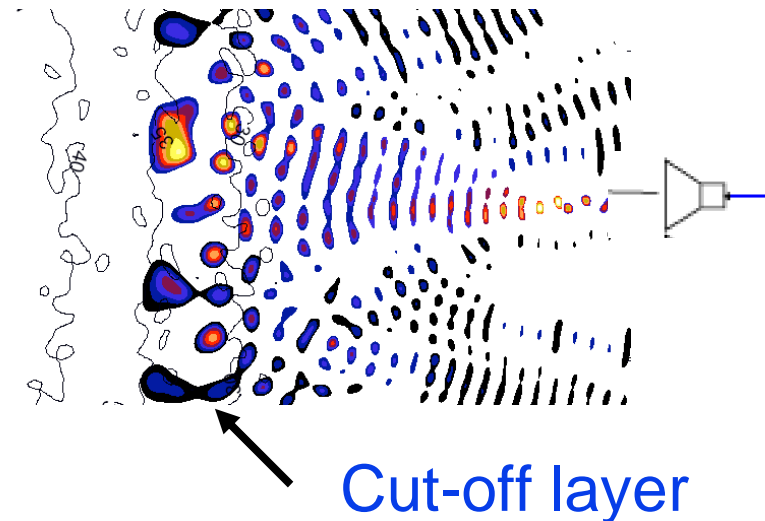
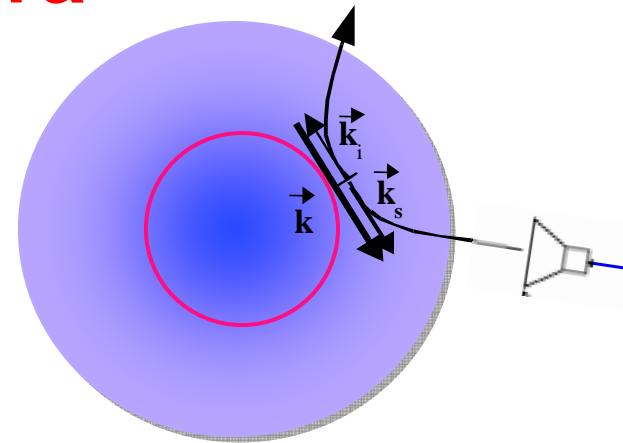
## Outline

- Comparison between fluctuation measurements and simulations – towards a reduced transport model.
- Large scale flows : interplay between turbulence generation and collisional damping
- Impurities as tracers of turbulent transport



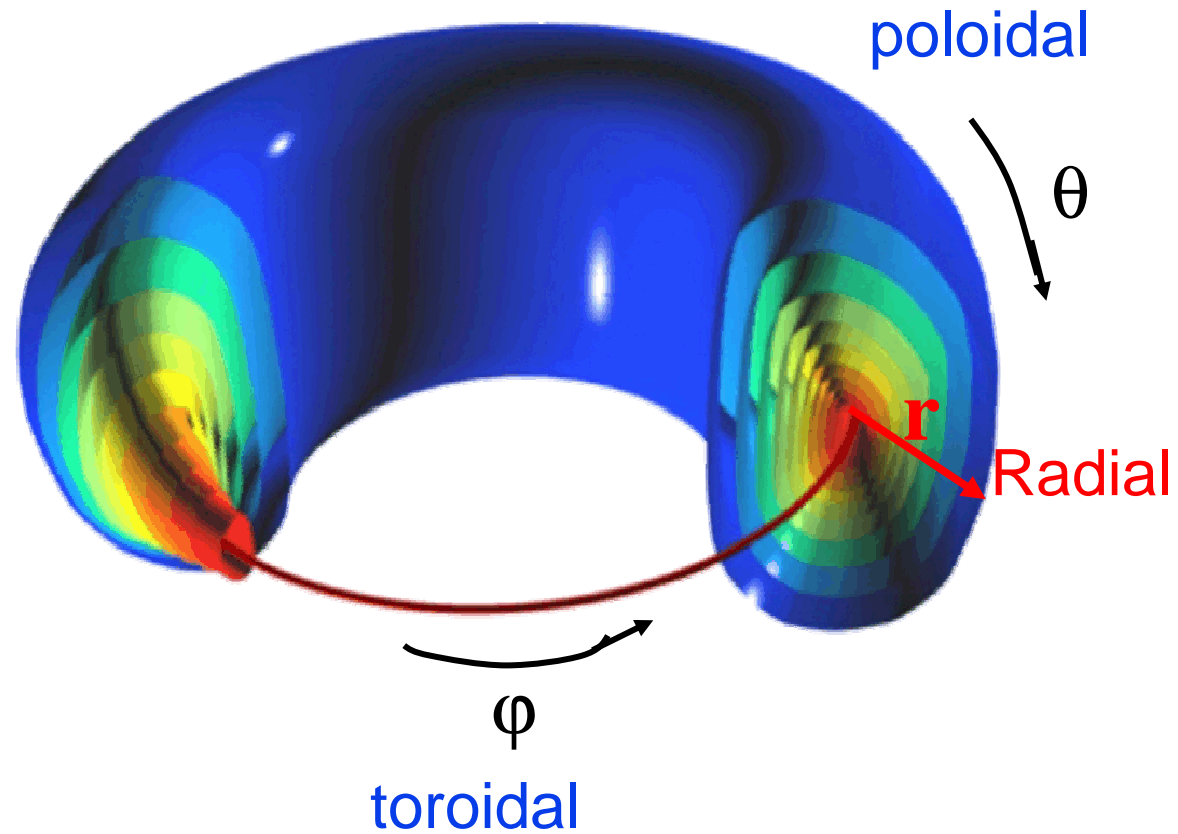
# Diagnostics and codes on Tore Supra

- 2 Doppler and 2 fast sweeping reflectometers: profile of turbulence intensity, frequency and wavenumber spectra
- Numerical tools: global (GYSELA) local (GYRO, GENE) gyrokinetic codes, integrated modelling (CRONOS)





# Geometry





## Is it possible to build a reliable reduced transport model?

- **Most models are based on quasi-linear theory** Vedenov 61, Drummond 63

$$D = \sum_k |v_{Ek}|^2 \tau_{ck}$$

and a **mixing-length rule** Prandtl 25 , e.g.

$$\frac{e\delta\phi_k}{T} \approx \frac{\delta p_k}{p} \approx \frac{1}{kL_p}$$

- **Some open questions : validity of QL theory, better description of fluctuation spectra.**



# Test of Quasi-Linear Theory

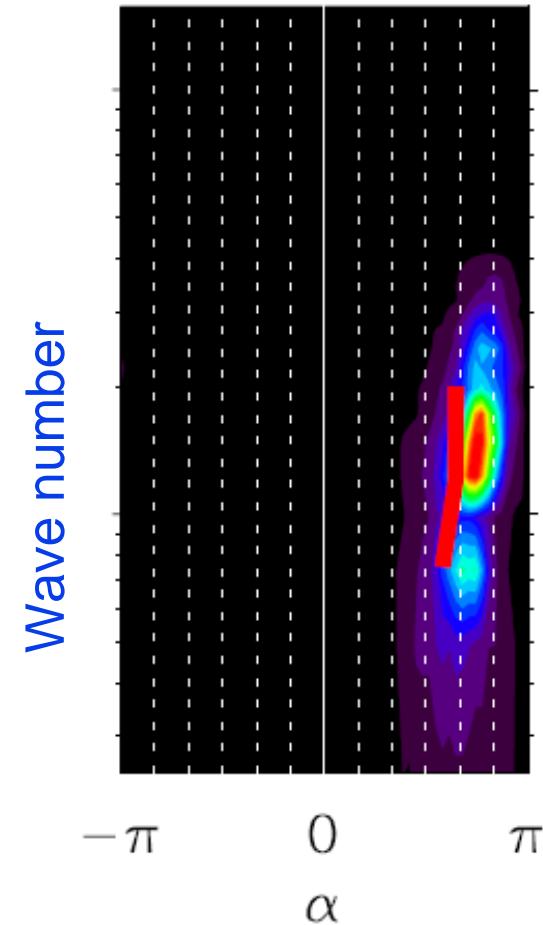
- QLT assumes linear cross-phase

$$\Phi_T = \frac{3}{2} \langle p v_E \rangle$$

- Looks like a reasonable hypothesis at low k. Seems to work even close to threshold.
- Factor 1.4 between simulations and QLT Waltz 08

Dannert 05

$\Phi$   $\times$   $T_{\perp}$





## Test of Quasi-Linear Theory - 2

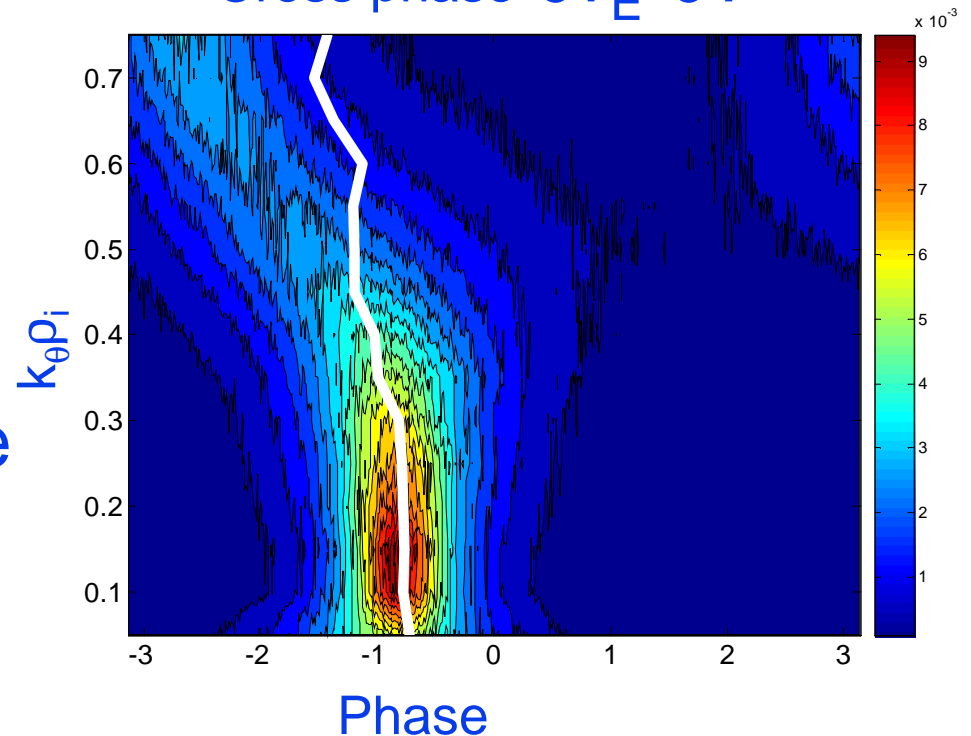
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Casati 08 - GYRO

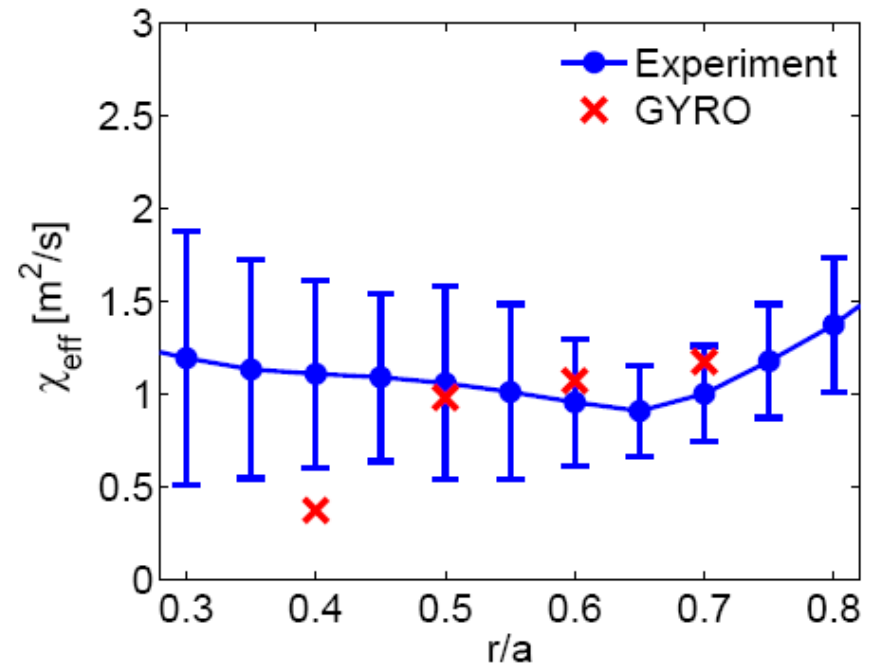
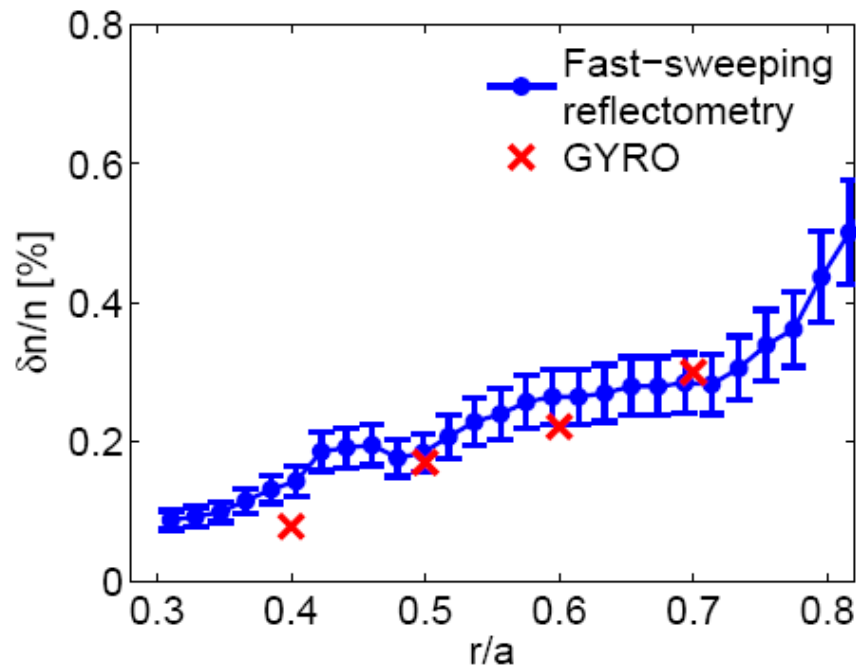
Cross phase  $\delta v_E - \delta T$





# Agreement is found between density fluctuation measurements and simulations.

Casati 09



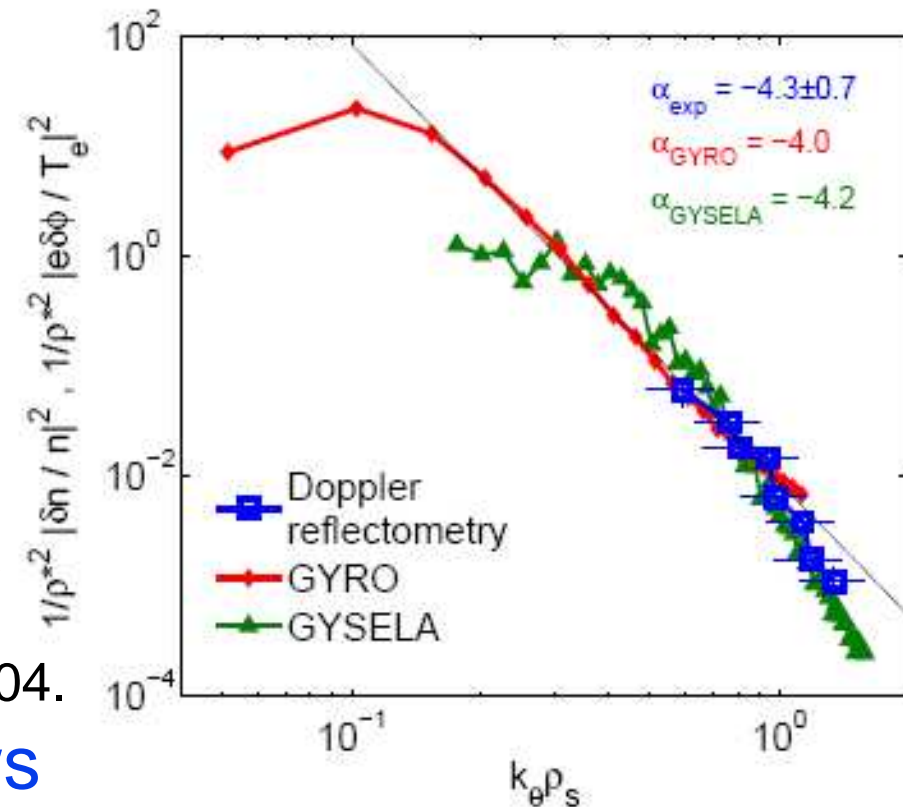




# Wave number spectra are also well reproduced

- Slope always the same → NL effects dominant.
- Discrepancies between simulations : inward propagating GAMs in GYSELA. Zonca 08
- Change of slope is usually observed at  $k_{\perp} \rho_i \approx 1$  Hennequin 04. Possible effect of zonal flows Gurcan 09.

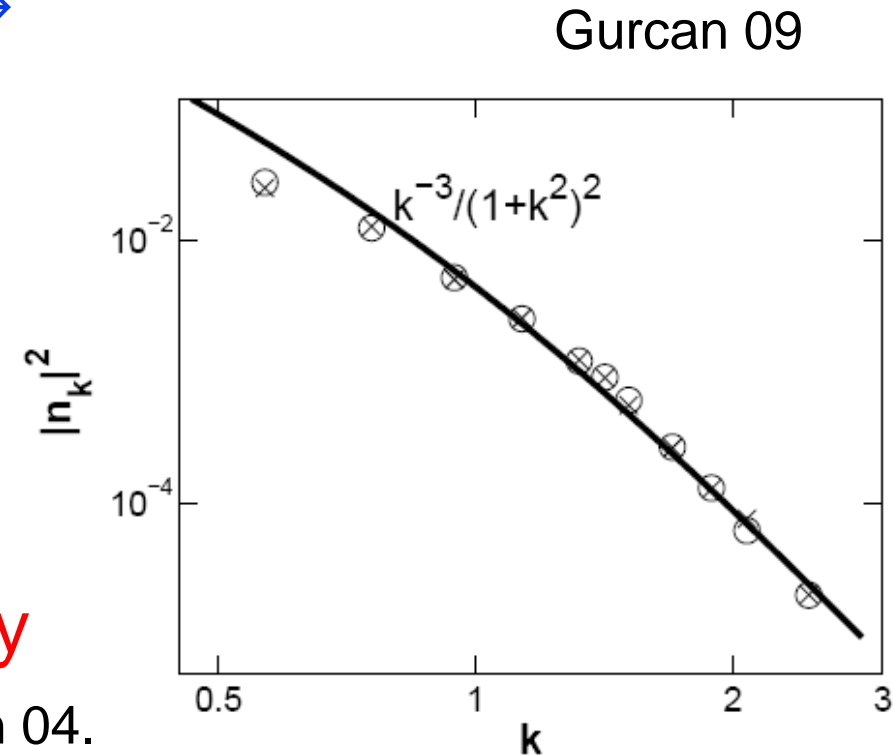
Casati 09





## Wave number spectra are also well reproduced - II

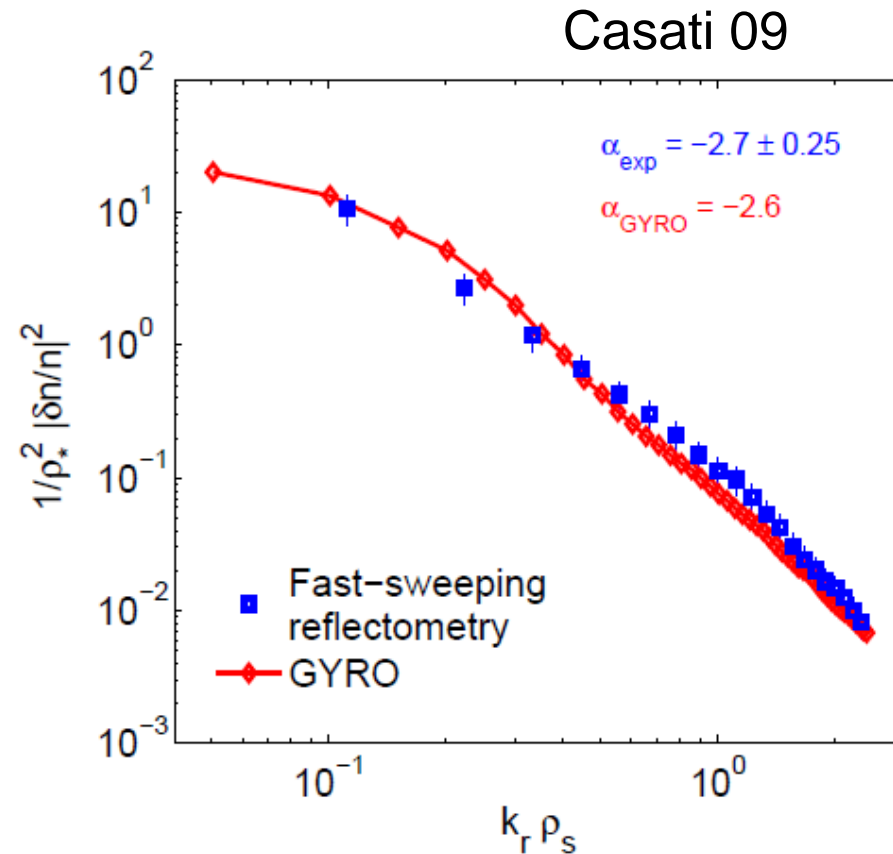
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# Fast sweeping reflectometry provides information on $k_r$ spectra

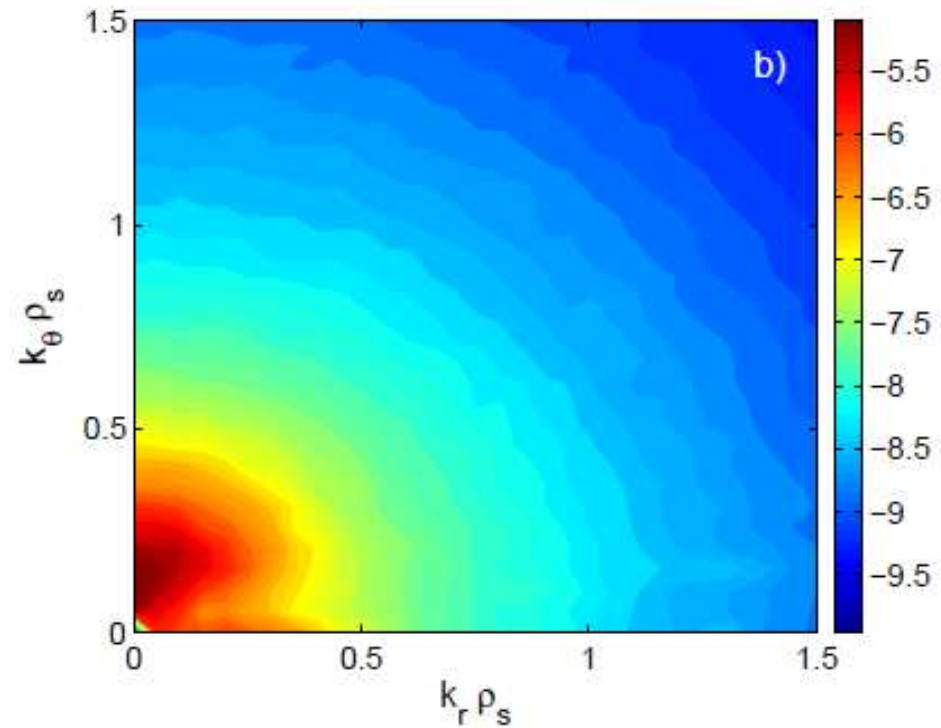
- Access to distribution of density perturbations  $\rightarrow k_r$  spectra Vermare 04
- Spectrum index is different :  
instrumental effect
- Spectra are isotropic at high  $k$





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- Spectra are isotropic at high  $k$  Krommes 92



GYRO simulations of  $k$  spectra



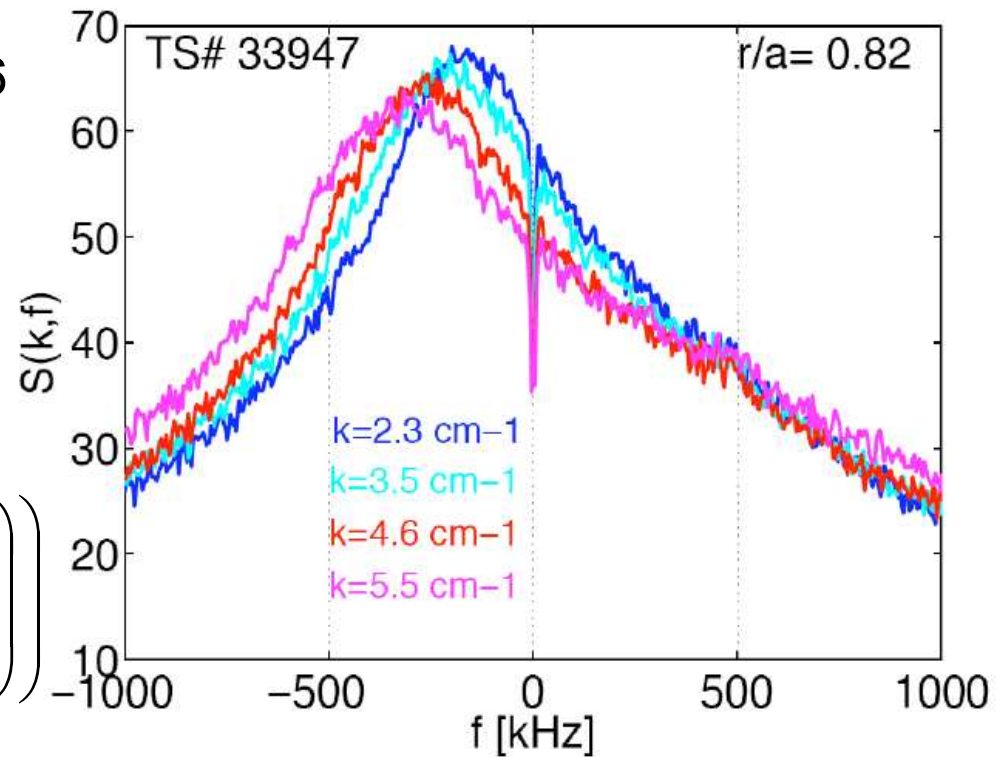
# Frequency spectra

- Measured with Doppler reflectometry Hennequin 06

- $\Delta\omega_k \neq \gamma_k$  -  $\Delta\omega_k \equiv k^\alpha$ , agrees with convective/diffusive model

Hennequin 99

$$C(k, \tau) = \exp\left(-\frac{1}{2}k^2 u^2 \tau_L^2 \left(\frac{\tau}{\tau_L} - 1 + e^{-\frac{\tau}{\tau_L}}\right)\right)$$



Hennequin 09

- Ongoing modelling with EDQNM



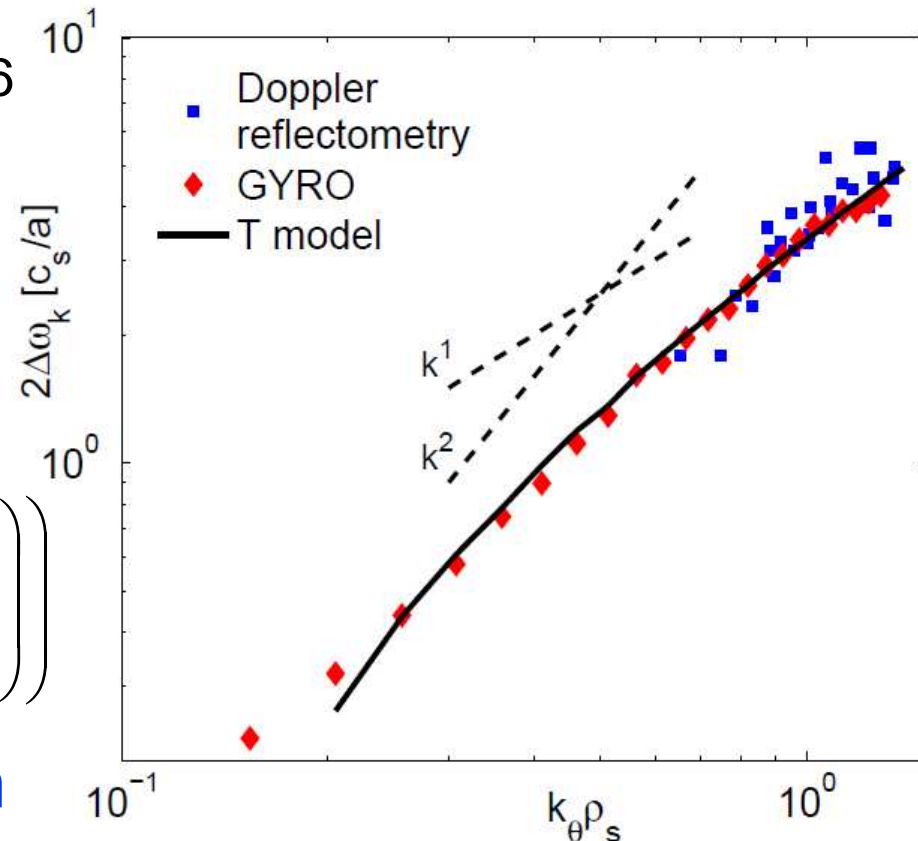
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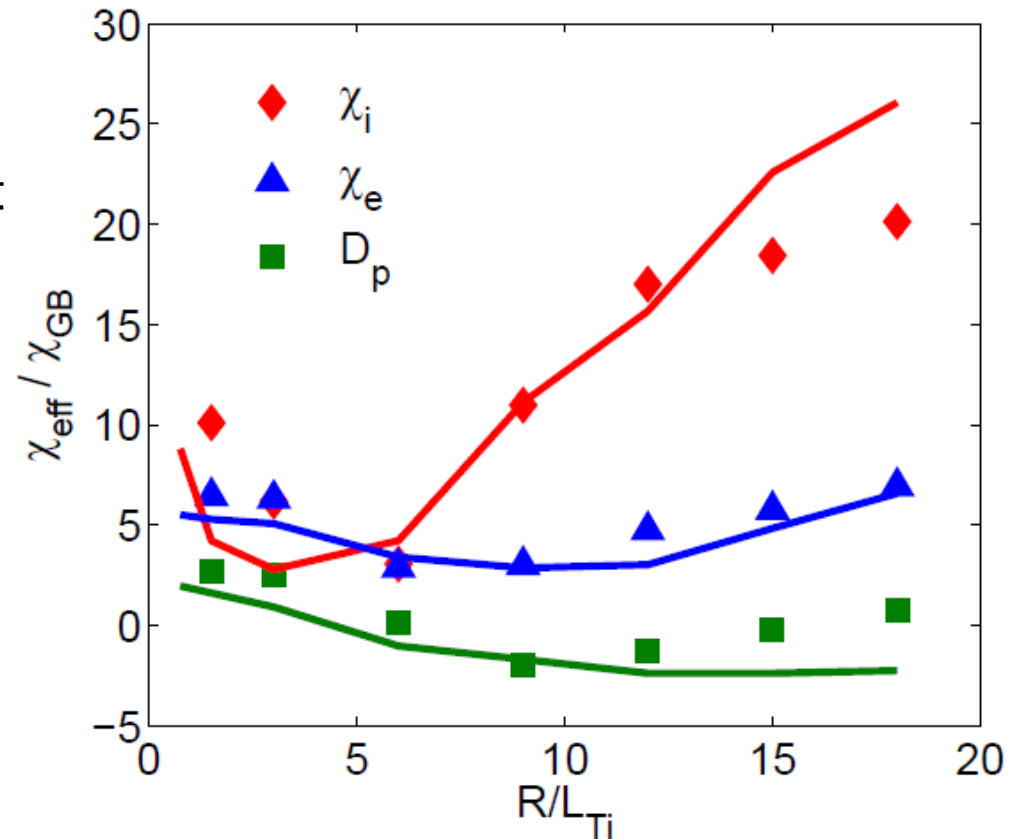
Casati 09





# Present status of transport modelling

- Qualikiz : QLT,  $k^{-3}$  spectrum (cut-off Dannert 05), lorentzian frequency spectrum. Bourdelle 08
- Encouraging results, except at low magnetic shear.

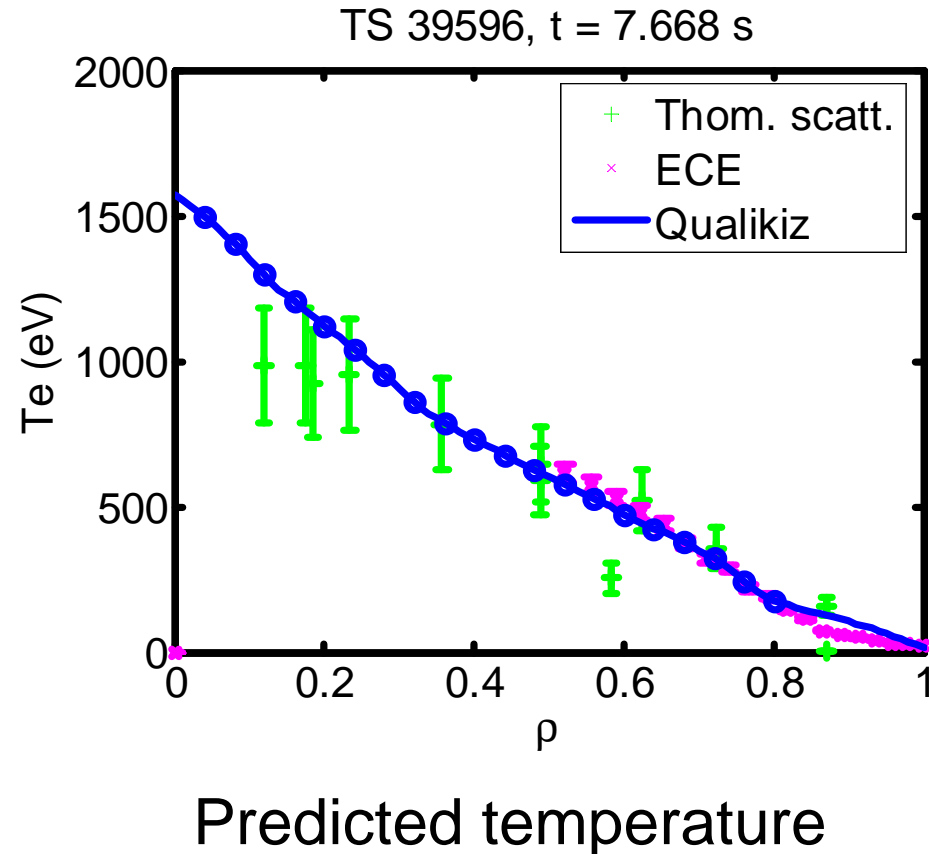


Casati 09 – GYRO (pts) vs Qualikiz



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## Large scale flows : interplay between turbulence generation and collisional damping

- On Tore Supra, magnetic field corrugation (ripple) is large (7%)
- Leads to magnetic braking in toroidal direction
- Competes with turbulence Reynolds stress



# Flow dynamics

- Force balance equation

$$E_r + V_\theta B_\varphi - V_\varphi B_\theta - \frac{\nabla_r p}{ne} = 0$$

- Reynolds stress + collisional viscous damping

Smolyakov 09

$$\partial_t \langle \mathbf{V} \rangle = -\nabla \cdot \langle \tilde{\mathbf{V}} \tilde{\mathbf{V}} \rangle - \nu_{\text{neo}} (\langle \mathbf{V} \rangle - k \mathbf{V}_{\text{neo}})$$

Reynolds  
stress  $\Pi$



Viscous  
damping



→ determine  $V_\theta$ ,  $V_\varphi$ , et  $E_r$



# Rotation measurements

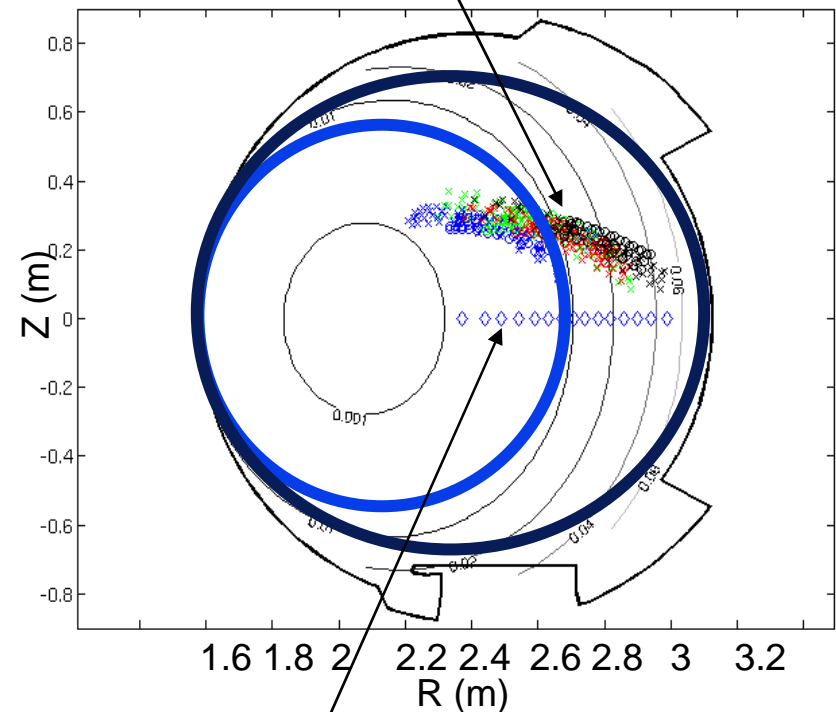
- Doppler reflectometry

$$V_{\text{lab}} = -\frac{E_r}{B} + V_{\text{ph}}$$

Assumption :  $V_{\text{ph}} \ll -E_r/B$  -  
supported by simulations →  
direct measurement of  $E_r$

- CXRS: measurements of  $V_{\phi}$

Doppler  
reflectometry



CXRS



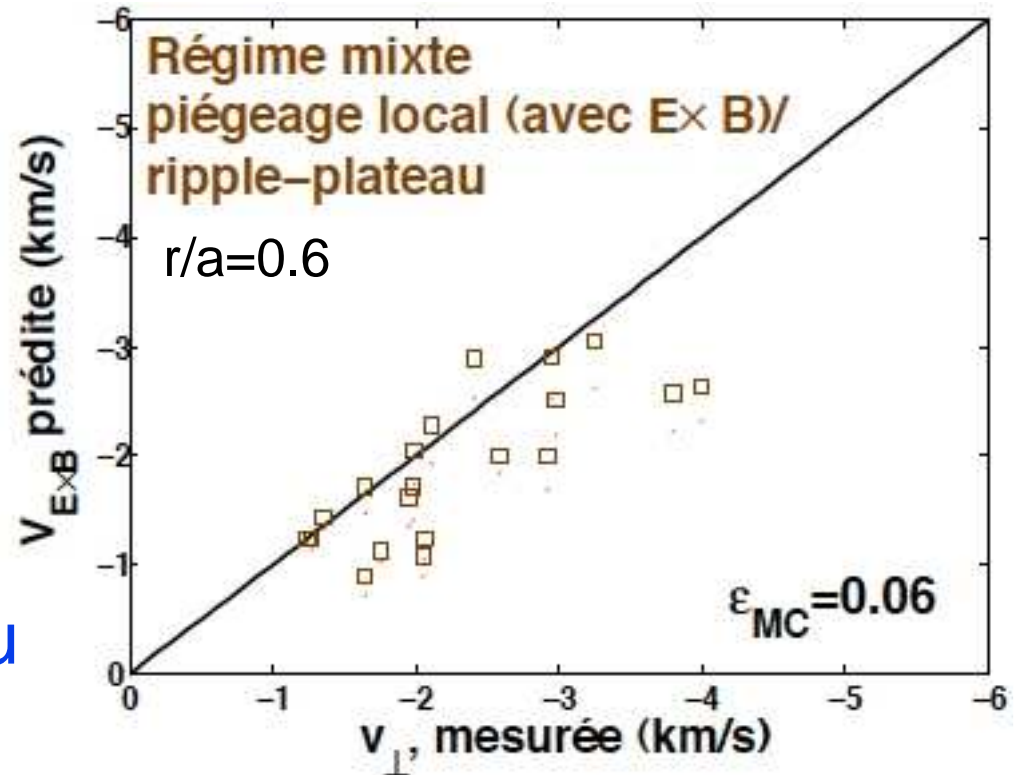
# Radial electric field

Trier 08

- Radial electric field is **negative** : controlled by thermal ripple losses

$$E_r = \frac{T_i}{e} \left( \frac{dn_i}{n_i dr} + k_{rip} \frac{dT_i}{T_i dr} \right)$$

- Local trapping  $k_{rip}=3.37$   
Connor 73 . Ripple-plateau  
 $k_{rip}=1.5$  Boozer 80

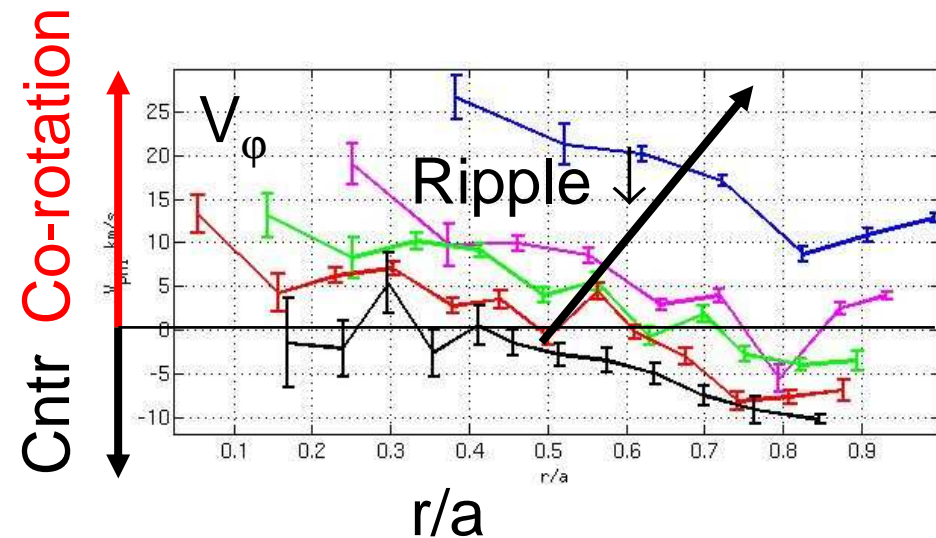
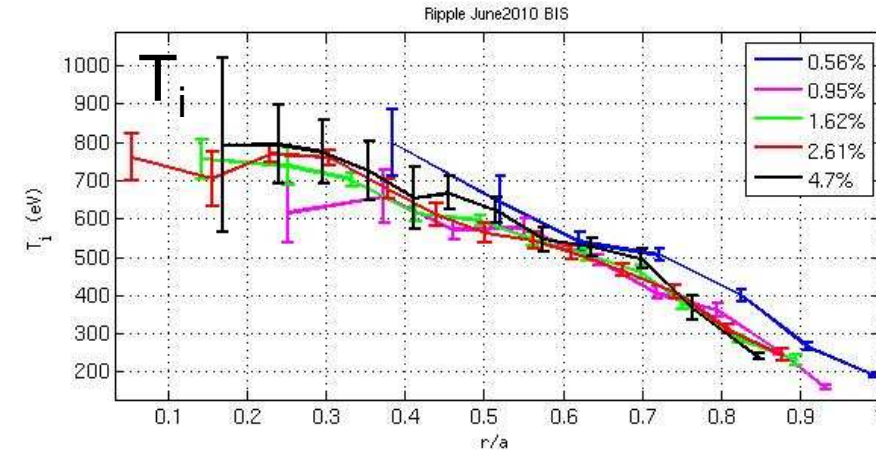




# Intrinsic toroidal rotation

Fenzi 09

- Counter-rotation in Ohmic plasmas. Co-rotation with smaller ripple.
- Consistent with competition between ripple friction and turbulent Reynolds stress.

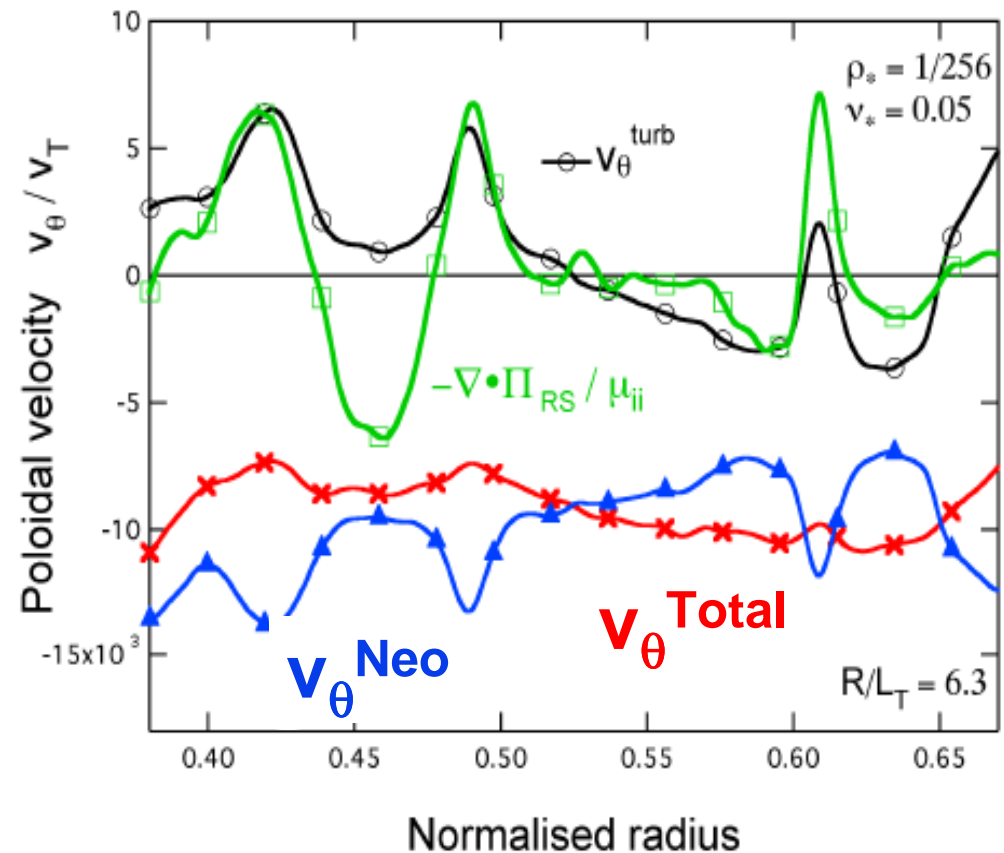




# Poloidal rotation agrees with neoclassical theory in global simulations

Dif-Pradalier 09

- Consistent with poloidal viscous damping
- However: large corrugations due to turbulent Reynolds stress.





## Disagreement on poloidal rotation?

- Doppler reflectometry  $\rightarrow E_r$  agrees with  $\Gamma_{\text{ripple}}=0$  in the core
- CXRS  $\rightarrow V_\phi$  changes from cntr to co-rotation when ripple becomes weaker  
 $\rightarrow V_\theta \neq V_{\text{neo}}$ ? e.g. JET Cromb  06, DIII-D Kim 94
- Turbulence simulations find  $V_\theta \approx V_{\text{neo}} +$  turbulence corrugations



# Particle and impurity transport

- Ion heat transport well known, particle and electron heat transport make progress, **impurity transport not well documented**
- Related to turbulent **transport of passive tracers** for low impurity concentrations
- Reference is collisional transport in axisymmetric systems: **neoclassical theory**





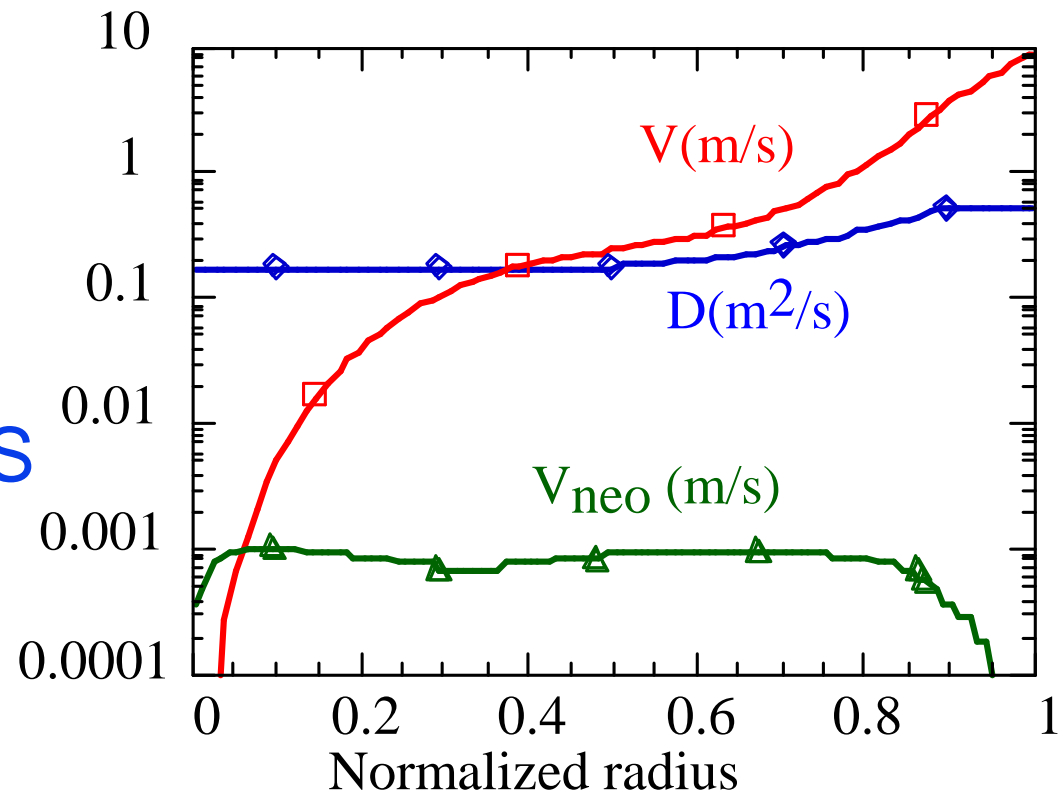
# Particle pinch is turbulent

- Particle flux of the form

$$\Gamma = -D\nabla n + Vn$$

- Unambiguous observation of an anomalous pinch in TS long pulses Hoang 04, (Ware pinch=0)

Diffusion and pinch velocity vs radius  
- TORE SUPRA - G.T. Hoang 04

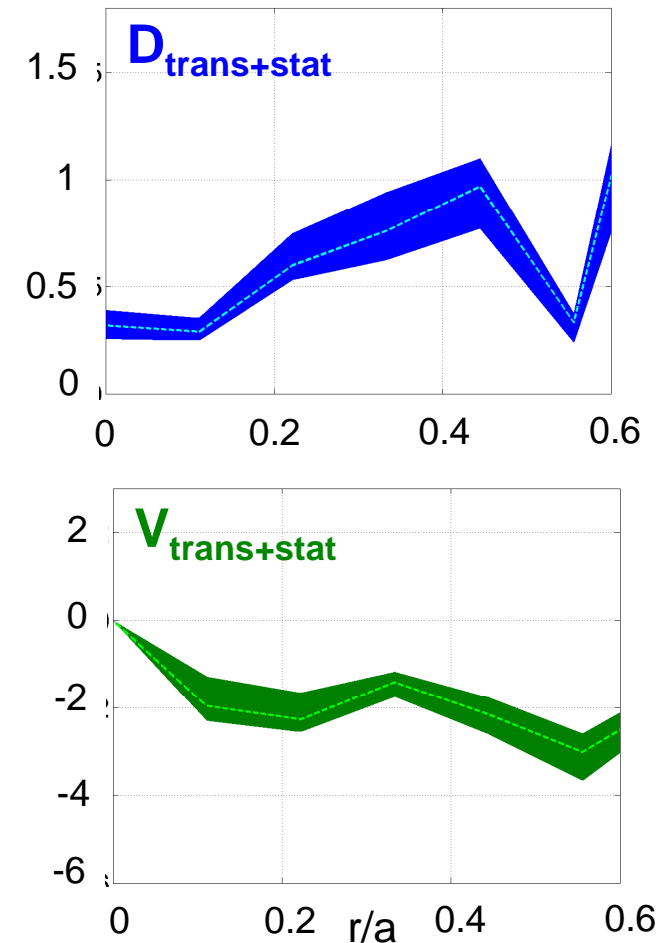




## What about impurities?

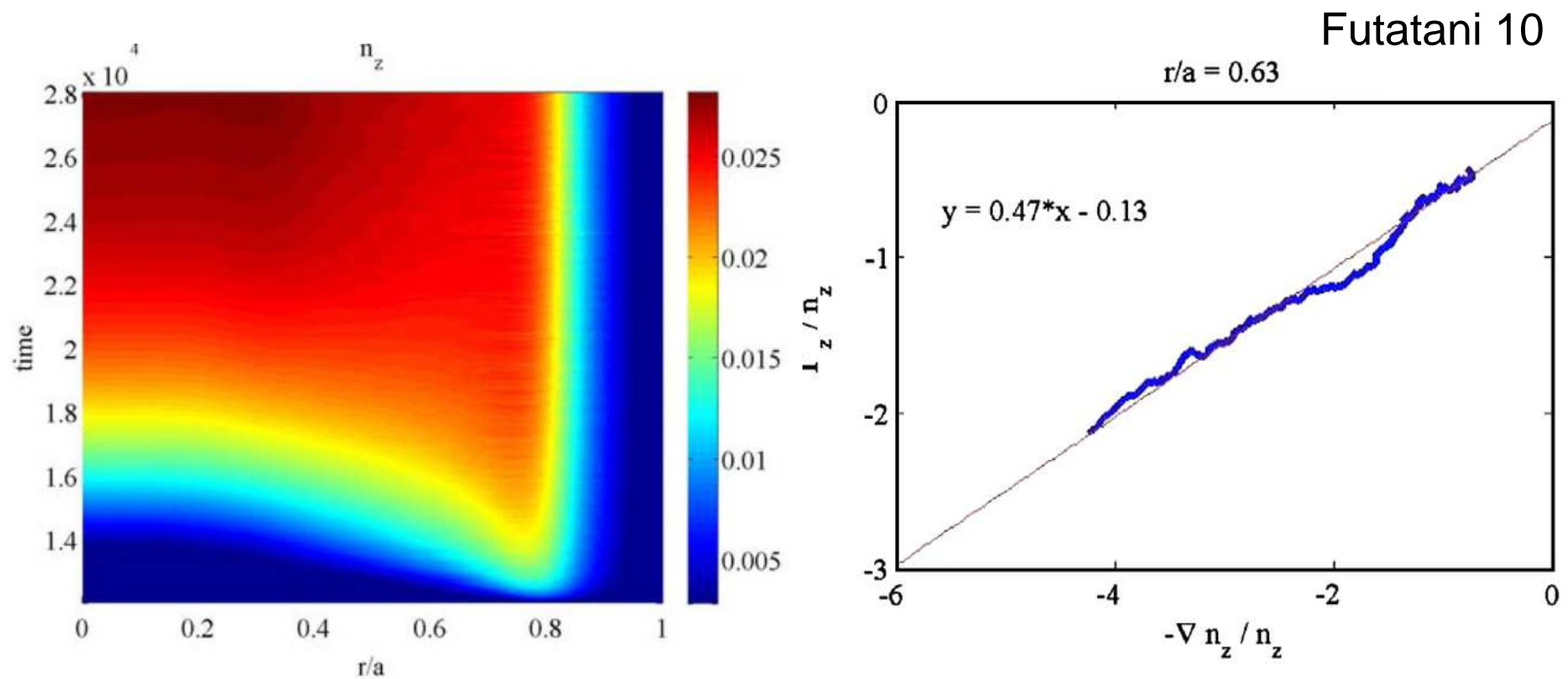
Guirlet 08

- Supersonic impurity gas injection.
- Both transient and steady profiles are used to assess fluxes  $\Gamma = -D\nabla n + Vn$
- Allows to reduce error bars on  $D$  and  $V$  by a large factor.





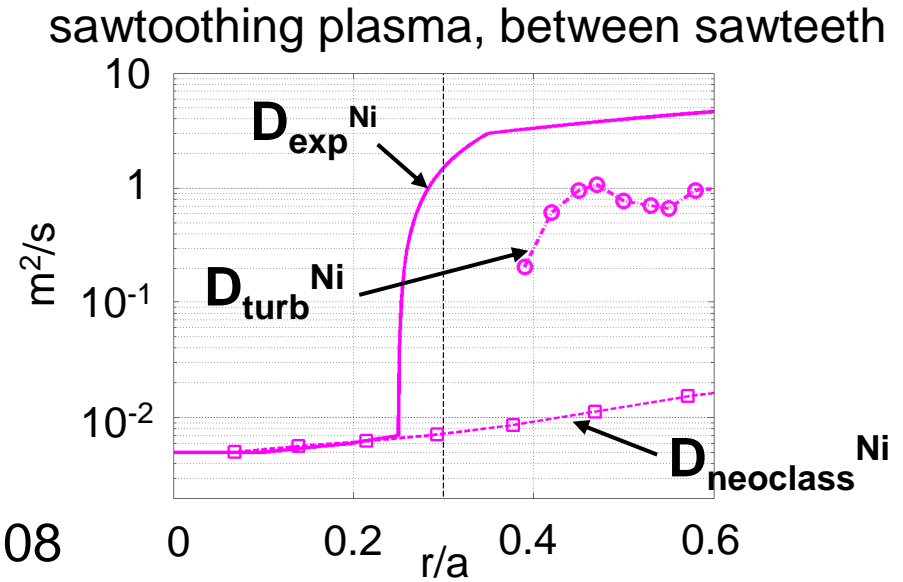
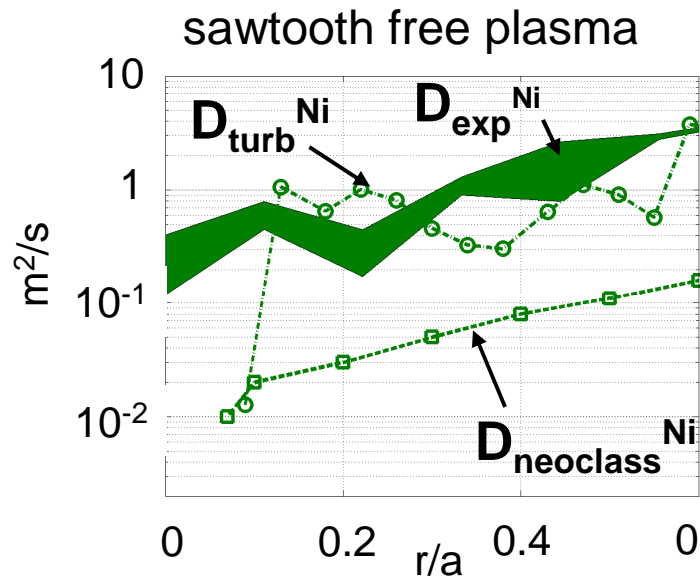
# Modelling of transient confirm the diffusion/convection model





# Impurity transport is turbulent

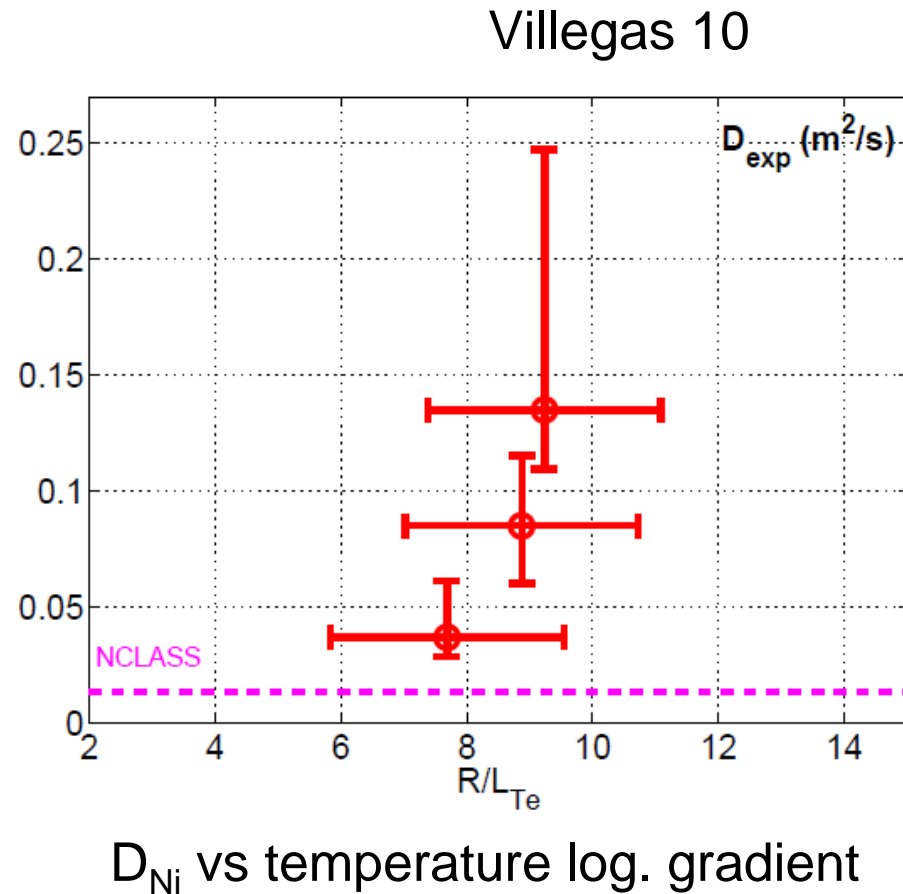
- Diffusion is always turbulent in the gradient zone
- Qualitatively agree with quasilinear theory (Qualikiz).





# Evidence of a critical gradient

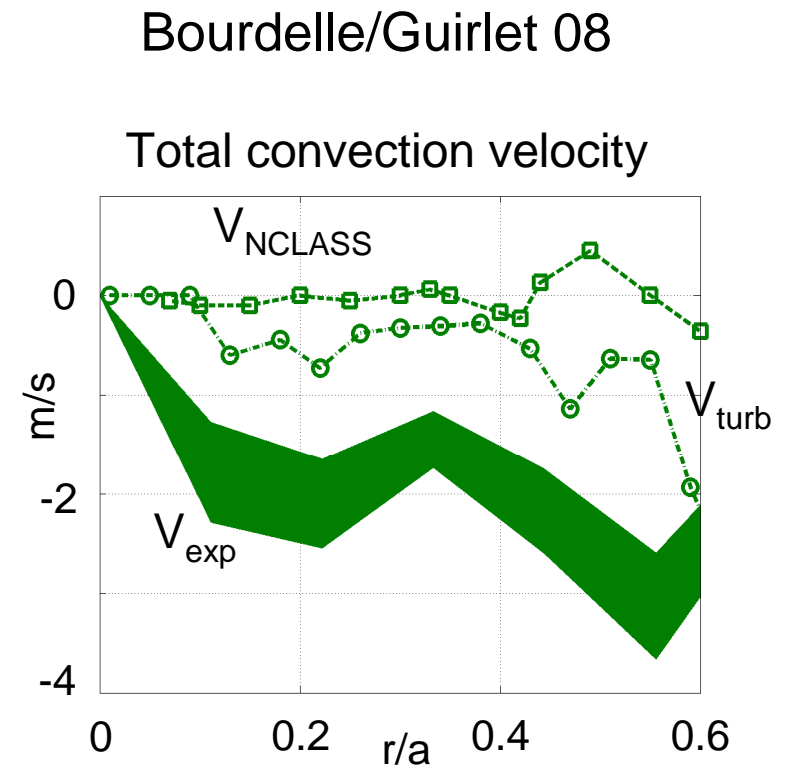
- Evidence of an **instability threshold**
- Agrees with expectation from drift wave (ITG/TEM) model





# Impurity transport depends weakly on charge number

- $D$  and  $V$  depend weakly on the charge number ( $7 < Z < 32$ ) – also agrees with QualiKiz. Different from JET?
- Pinch velocity directed inward.

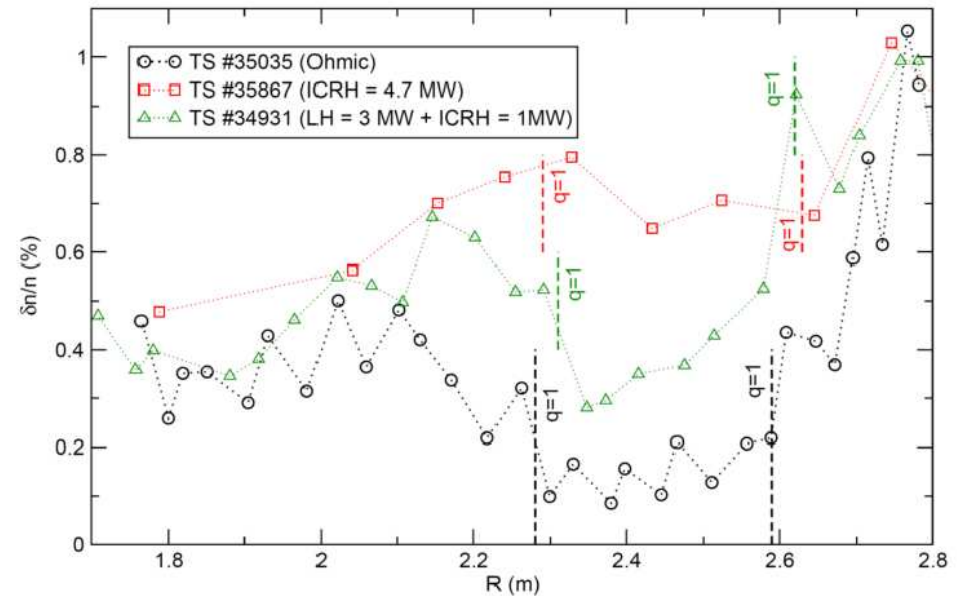




# Impurities are neoclassical in the core, electrons are not

- Low level of fluctuations in the core
- electron pinch velocity is above neoclassical,  $V_{\text{nickel}}$  is neoclassical
- Effect of an internal kink mode?

Sabot 10

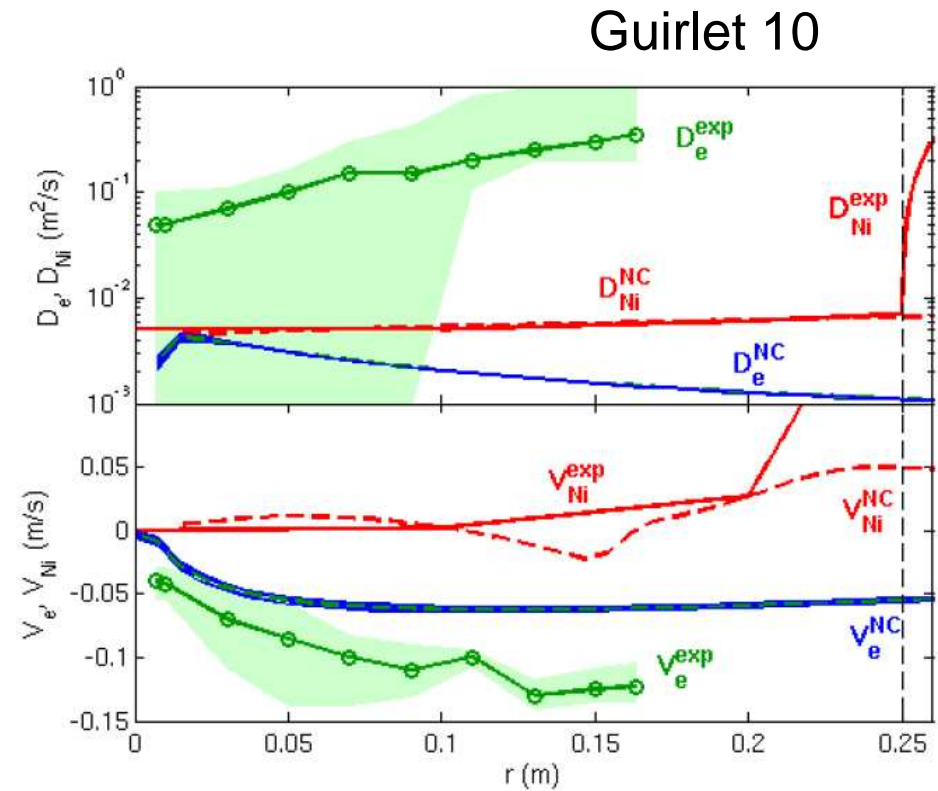


Level of fluctuations



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D and V for electrons and  
Nickel vs neoclassical





## Conclusions

- Agreement between measured and calculated density fluctuations, for both intensity and spectra → quasilinear transport model under test.
- $E_r$  and  $V_\phi$  agree with neoclassical theory in ohmic plasmas, with strong ripple. Situation for  $V_\theta$  to be clarified.
- Impurity transport is turbulent in the gradient zone, neoclassical in the core of Ohmic plasmas. Dependence on charge and mass numbers unclear.